Dmitri Yafaev: Curriculum Vitae

Born on 2 January 1948 in Oufa (U.R.S.S.); Nationality: Russian and French Current address: Department of Mathematics, University of Rennes-1, Campus Beaulieu, 35042, Rennes, France. email: yafaev@univ-rennes1.fr

Professional history:

• Ph.D.: 1973, University of Leningrad.

• Lecturer, University of Leningrad, 1973-1977.

• Researcher and Senior Researcher, St.Petersburg Branch of the Steklov Mathematical Institute, 1977-1990.

• Associate Professor, University of Nantes, 1990-1992.

• Professor, University of Rennes-1, since 1992.

Editorial membership: "Journal of spectral theory", "Integral equations and operator theory", "Problems of mathematical analysis" (Springer), "Functional analysis and its applications".

Research interests: Spectral theory of differential operators; spectral properties of scattering matrix; long-range scattering theory; magnetic Hamiltonians.

Books:

1. Mathematical Scattering Theory (General Theory), AMS, 1992, Providence, Rhode Island.

2. Scattering theory: some old and new problems, Lecture Notes Math., v. 1735, 2000, Springer-Verlag.

3. Mathematical Scattering Theory (Analytic Theory), AMS, 2010, Providence, Rhode Island.

Selected recent papers:

1. Diagonalizations of two classes of unbounded Hankel operators, Bulletin Math. Sciences 4, N 4, 175-198, 2014.

2. Criteria for Hankel operators to be sign-definite, Analysis & PDE 8, N 1, 183–221, 2015.

3. On finite rank Hankel operators, J. Funct. Anal. 268, 1808–1839, 2015.

4. Quasi-Carleman operators and their spectral properties, Integral Eq. Oper. Theory 81, 499–534, 2015.

5. Asymptotic behaviour of eigenvalues of Hankel operators (with A. Pushnitski) Int. Math. Res. Notices **2015** (22), 11861-11886, 2015.

6. Quasi-diagonalization of Hankel operators, ArXiv: 1403.3941 (2014) to appear in J. d'Analyse Mathématique.

7. Spectral and scattering theory of self-adjoint Hankel operators with piecewise continuous symbols (with A. Pushnitski), J. Oper. Theory **74**, 101-139, 2015.

8. Localization principle for compact Hankel operators (with A. Pushnitski), J. Funct. Anal. **270**, 3591-3621, 2016.

9. Best rational approximations of functions with logarithmic singularities (avec A. Pushnitski), Constructive Approximation, DOI 10.1007/s00365-016-9347-1, 2016.

10. Unbounded Hankel operator and moment problems, Integral Eq. Oper. Theory, **85**, 289-300, 2016.

11. On semibounded Toeplitz operators, arXiv: 1603.06229 (2016), to appear in J. Oper. Theory.